# Voltage Enhancement and Reduction of Real Power Loss by Particle Swarm Optimization Algorithm Based on Membrane Computing

K. Lenin and B. Ravindhranath Reddy Jawaharlal Nehru Technological University Kukatpally, Hyderabad 500 085, India Email: gklenin@gmail.com,

Abstract—This paper proposes Particle Swarm optimization algorithm based on Membrane Computing (PSOMC) for solving optimal reactive power dispatch problem. PSOMC is designed with the framework and rules of a cell-like P systems, and particle swarm optimization with the neighbourhood search. In order to evaluate the efficiency of the proposed algorithm, it has been tested on IEEE 30 bus system and compared to other specified algorithms. Simulation results show that PSOMC is superior to other algorithms in reducing the real power loss and improving the voltage stability.

*Index Terms*—membrane computing, particle swarm optimization, optimal reactive power, transmission loss.

# I. INTRODUCTION

Power system reliability is related through security, and it refers to stability of service, trustworthiness in frequency and specified voltage limitations. Key assignment is to maintain the voltage profiles within the limits by increase or decrease in reactive power. Choose the ideal parameter of reactive power resources and it is one of the centre ways for the protected function of transmission system. The inadequate regulation of reactive power sources limits the active power transmission, which can be foundation for uncontrolled declined in voltage and tension fall down in the load buses. Optimal reactive power dispatch is one among the key focus for best operation and control of power systems, and it should be carried out appropriately, such that system reliability should not get affected. The gradient method [1], [2], Newton method [3] and linear programming [4]-[7] experience from the difficulty of managing the inequality constraints. In recent times widespread Optimization techniques such as genetic algorithms have been proposed to solve the reactive power flow problem [8], [9]. This paper presents the reactive power dispatch problem as multi-objective optimization problem with real power loss minimization and maximization of static voltage stability margin (SVSM) .Voltage stability evaluation is done by using modal analysis [10] and it is used as the pointer of voltage stability. Various evolutionary algorithms like evolutionary programming [11], PSO using multiagent [12], cooperative co-evolutionary differential evolution [13], differential evolution [14], learning particle swarm optimization [15], self-adaptive real coded genetic algorithm [16], were developed to solve the ORPD problem. In this paper, Particle Swarm optimization algorithm based on Membrane Computing (PSOMC) for solving optimal reactive power dispatch problem. Membrane computing (P systems) was initiated by Paun [17] in 1998, which is a category of new-fangled computing replica abstracted from the structure and functioning of living cells, as well as from the interactions of living cells in tissues. In recent years, many variant of membrane computing models have been developed rapidly, and also have turned out that membrane computing has an important probable to be applied for variety of computationally hard problems. The performance of PSOMC algorithm has been evaluated in standard IEEE 30 bus test system and the that our proposed method simulation results shows outperforms all approaches investigated in this paper.

# II. VOLTAGE STABILITY EVALUATION

# A. Modal Analysis for Voltage Stability Evaluation

The linearized steady state system power flow equations are given by,

$$\begin{bmatrix} \Delta P \\ \Delta Q \end{bmatrix} = \begin{bmatrix} J_{p\theta} & J_{pv} \\ J_{q\theta} & J_{QV} \end{bmatrix}$$
(1)

where

 $\Delta P$  = Incremental change in bus real power.

 $\Delta Q$  = Incremental change in bus reactive

Power injection

 $\Delta \theta$  = incremental change in bus voltage angle.

 $\Delta V$  = Incremental change in bus voltage Magnitude  $J_{p0}$ ,  $J_{PV}$ ,  $J_{Q0}$ ,  $J_{QV}$  jacobian matrix are the sub-matrixes of the System voltage stability is affected by both P and Q. However at each operational point we keep P constant and evaluate voltage stability by considering incremental relationship between Q and V. To reduce (1), let  $\Delta P = 0$ , then.

$$\Delta Q = \left[ J_{QV} - J_{Q\theta} J_{P\theta^{-1}} J_{PV} \right] \Delta V = J_R \Delta V \qquad (2)$$

$$\Delta V = J^{-1} - \Delta Q \tag{3}$$

where

$$J_{R} = \left(J_{QV} - J_{Q\theta}J_{P\theta^{-1}}JPV\right)$$
(4)

J<sub>R</sub> is called the reduced Jacobian matrix of the system.

# B. Modes of Voltage Instability:

Voltage Stability characteristics are computed by the Eigen values and Eigen vectors. L

$$J_{\rm R} = \xi \wedge \eta \tag{5}$$

where,

 $\xi$  = right eigenvector matrix of J<sub>R</sub>

 $\eta = \text{left} \text{ eigenvector matrix of } J_R$ 

 $\wedge$  = diagonal Eigen value matrix of J<sub>R</sub> and

$$\mathbf{J}_{\mathbf{R}^{-1}} = \boldsymbol{\xi} \wedge^{-1} \boldsymbol{\eta} \tag{6}$$

From (3) and (6), we have

$$\Delta \mathbf{V} = \boldsymbol{\xi} \wedge^{-1} \boldsymbol{\eta} \Delta \mathbf{Q} \tag{7}$$

or

$$\Delta V = \sum_{I} \frac{\xi_{i} \eta_{i}}{\lambda_{i}} \Delta Q \tag{8}$$

where  $\xi_i$  is the ith column right Eigen vector and  $\eta$  the ith row left eigenvector of J<sub>R</sub>.

 $\lambda_i \ \ \, \text{is the ith eigen value of } J_R.$ 

The ith modal reactive power variation is,

$$\Delta Q_{\rm mi} = K_{\rm i} \xi_{\rm i} \tag{9}$$

where,

$$K_i = \sum_j \xi_{ij^2} - 1 \tag{10}$$

where

 $\xi_{ii}$  is the jth element of  $\xi_i$ 

The corresponding ith modal voltage variation is

$$\Delta V_{\rm mi} = [1/\lambda_i] \Delta Q_{\rm mi} \tag{11}$$

In (8), let  $\Delta Q = e_k$  where  $e_k$  has all its elements zero except the kth one being 1. Then,

$$\Delta V = \sum_{i} \frac{\eta_{1k} \xi_1}{\lambda_1} \tag{12}$$

 $\eta_{1k}$  k th element of  $\eta_1$ 

V-Q sensitivity at bus k

$$\frac{\partial V_{K}}{\partial Q_{K}} = \sum_{i} \frac{\eta_{1k} \xi_{1}}{\lambda_{1}} = \sum_{i} \frac{P_{ki}}{\lambda_{1}}$$
(13)

## **III. PROBLEM FORMULATION**

The objective of the reactive power dispatch problem is to control the real power loss and maximize the static voltage stability margins (SVSM) index.

#### A. Minimization of Real Power Loss

Minimization of real power loss (Ploss) in transmission lines is mathematically stated as follows.

$$P_{\text{loss}=} \sum_{\substack{k=1\\k=(i,j)}}^{n} g_{k(V_{i}^{2}+V_{j}^{2}-2V_{i}V_{j}\cos\theta_{ij})}$$
(14)

where n is the number of transmission lines,  $g_k \mbox{ is the }$ conductance of branch k,  $V_i$  and  $V_j$  are voltage magnitude at bus i and bus j, and  $\theta_{ij}$  is the voltage angle difference between bus i and bus j.

#### B. Minimization of Voltage Deviation

Minimization of Deviations in voltage magnitudes (VD) at load buses is mathematically stated as follows. ...1

$$Minimize VD = \sum_{k=1}^{nl} |V_k - 1.0|$$
(15)

Where nl is the number of load busses and  $V_k$  is the voltage magnitude at bus k.

### C. System Constraints

Objective functions are subjected to the following constraints,

Load flow equality constraints:

$$P_{Gi} - P_{Di} - V_i \sum_{j=1}^{nb} V_j \begin{bmatrix} G_{ij} & \cos \theta_{ij} \\ +B_{ij} & \sin \theta_{ij} \end{bmatrix} = 0, i = 1, 2 \dots, nb$$
(16)

$$Q_{Gi} - Q_{Di} - V_{i\sum_{j=1}^{nb} V_j} \begin{bmatrix} G_{ij} & \cos \theta_{ij} \\ +B_{ij} & \sin \theta_{ij} \end{bmatrix} = 0, i = 1, 2 \dots, nb$$
(17)

where, nb is the number of buses,  $P_G$  and  $Q_G$  are the real and reactive power of the generator,  $P_D$  and  $Q_D$  are the real and reactive load of the generator, and  $G_{ij}$  and  $B_{ij}$  are the mutual conductance and susceptance between bus i and bus *j*.

Generator bus voltage  $(V_{Gi})$  inequality constraint:

$$V_{Gi}^{min} \le V_{Gi} \le V_{Gi}^{max}, i \in ng$$
(18)

Load bus voltage  $(V_{Li})$  inequality constraint:

$$V_{Li}^{min} \le V_{Li} \le V_{Li}^{max}, i \in nl$$
(19)

Switchable reactive power compensations  $(Q_{Ci})$ inequality constraint:

$$Q_{Ci}^{min} \le Q_{Ci} \le Q_{Ci}^{max}, i \in nc$$
(20)

Reactive power generation  $(Q_{Gi})$  inequality constraint:

$$Q_{Gi}^{min} \le Q_{Gi} \le Q_{Gi}^{max}, i \in ng$$
(21)

Transformers tap setting  $(T_i)$  inequality constraint:

$$T_i^{\min} \le T_i \le T_i^{\max}, i \in nt$$
(22)

Transmission line flow (S<sub>Li</sub>) inequality constraint:

$$S_{l,i}^{\min} \le S_{l,i}^{\max}, i \in nl$$
(23)

where, nc, ng and nt are numbers of the switchable reactive power sources, generators and transformers.

# IV. PARTICLE SWARM OPTIMIZATION ALGORITHM BASED ON MEMBRANE COMPUTING

#### A. Cell-Like P Systems

P systems can be classified into the cell-like P systems, the tissue-like P systems and neural-like P systems [18]. In cell-like P systems, the covering structure is a hierarchical arrangement of membranes embedded in the skin membrane. A membrane without any other membranes within is assumed to be an elementary membrane. Every membrane has an area containing a multi-set of objects and a set of evolutionary rules. The

multi-sets of objects progress in each region and move from a region to a neighbouring one by applying the rules in a nondeterministic and maximally similar way.

The membrane structure of a cell-like P system can be formally defined as follows [19].

$$\Pi = (o.T, u, s_1, \dots, s_n, R_1, \dots, R_n, i_0) \quad (24)$$

where:

(i) O is the alphabet of objects;

(ii) *T* is the output alphabet,  $T \subseteq O$ ;

(iii)  $\mu$  is a membrane structure consisting of *n* membranes, and the membranes labeled with

1, 2,.., *n*; *n* is called the degree of the system  $\Pi$ ;

(iv)  $s_i (1 \le i \le n)$  are strings which represent multisets over *O* associated with the region 1, 2,.., *n* of  $\mu$ .

(v)  $R_i (1 \le i \le n)$  are the evolution rules over  $O^*$ ,  $R_i$  is associated with region *i* of  $\mu$ , and it is of the following forms.

(a)  $[i \ s_1 \rightarrow s_2]$ , where  $i \in \{1, 2, ..., n\}$ , and  $s_1, s_2 \in o^*$ 

(Evolution rules: a rule of this type works on a string objects by the local search algorithm or various evolutionary operator, and the new strings object are created in region i.)

(b)  $s_1[i] \rightarrow [i \ s_2]_i$ , where  $i \in \{1, 2, ..., n\}$ , and  $s_1, s_2 \in o^*$ .

(Send-in communication rules; a string object is send in the region i.)

(c)  $[i \ s_1]_i \to [i]_i \ s_2$ , where  $i \in \{1, 2, ..., n\}$ , and  $s_1, s_2 \in o^*$ .

(Send-out communication rules; a string object is sent out of the region i.)

(vi)  $i_o$  is the output membrane.

A P system, regarded as a model of computation, and is called as membrane algorithm, which is poised of a series of computing steps between configurations. Each calculation starts from the primary configuration, and halts when there are no more rules applicable in any region. In the computing procedure, the system will go from one configuration to a new one by applying the regulations related to regions in a non-deterministic and maximally equivalent manner. The result of the calculation is obtained in region  $i_o$ .

The membrane algorithm

#### Start

Initialize the membrane structure and parameters, *gen*=0;

While (Not termination condition) do

Evaluate the evolution rules in all elementary membranes; Determine the fitness by the fitness function;

Perform the communication rules;

Record the current best solution;

gen=gen+1;

# end while

End start

#### B. Standard PSO

PSO is a population-based, co-operative search metaheuristic introduced by Kennedy and Eberhart. The fundament for the development of PSO is hypothesis that a potential solution to an optimization problem is treated as a bird without quality and volume, which is called a particle, coexisting and evolving simultaneously based on knowledge sharing with neighbouring particles. While flying through the problem search space, each particle modifies its velocity to find a better solution (position) by applying its own flying experience (i.e. memory having best position found in the earlier flights) and experience of neighbouring particles (i.e. best-found solution of the population). Particles update their positions and velocities as shown below:

$$v_{t+1}^{i} = \omega_{t}.v_{t}^{i} + c_{1}.R_{1}.(p_{t}^{i} - x_{t}^{i}) + c_{2}.R_{2}.(p_{t}^{g} - x_{t}^{i})$$
(25)

$$x_{t+1}^{i} = x_{t}^{i} + v_{t+1}^{i}$$
(26)

where  $x_t^i$  represents the current position of particle i in solution space and subscript t indicates an iteration count;  $p_t^i$  is the best-found position of particle i up to iteration count t and represents the cognitive contribution to the search velocity  $v_t^i$ . Each component of  $v_t^i$  can be clamped to the range to control excessive roaming of particles outside the search space;  $p_t^g$  is the global bestfound position among all particles in the swarm up to iteration count t and forms the social contribution to the velocity vector;  $r_1$  and  $r_2$  are random numbers uniformly distributed in the interval (0,1), where  $c_1$  and  $c_2$  are the cognitive and social scaling parameters, respectively; $\omega_t$ is the particle inertia, which is reduced dynamically to decrease the search area in a gradual fashion . The variable  $\omega_t$  is updated as

$$\omega_t = (\omega_{max} - \omega_{min}) \cdot \frac{(t_{max} - t)}{t_{max}} + \omega_{min} \quad (27)$$

where  $\omega_{max}$  and  $\omega_{min}$  denote the maximum and minimum of  $\omega_t$  respectively;  $t_{max}$  is a given number of maximum iterations. Particle i fly toward a new position according to Eq. (25) and (26). In this way, all particles of the swarm find their new positions and apply these new positions to update their individual best  $p_t^i$  points and global best  $p_t^g$  of the swarm. This process is repeated until termination conditions are met. In the paper, the velocity equation of PSO is modified as follows.

$$v_{(t+1)}^{i} = |r_{1}()| \times \left(Pbest_{ij}(t) - x_{ij}(t)\right) + |r_{2}()| \times \left(gbest_{j}(t) - x_{ij} - x_{ij}(t)\right)$$
(28)

The procedure of Particle Swarm optimization algorithm based on Membrane Computing (PSOMC) for solving optimal reactive power dispatch problem is described as follows.

Step 1: Initialize membrane structure and X(t), V(t) and Multi-sets are initialized as follows:

$$s_0 = \lambda$$
  

$$s_1 = b_{1,1}b_{1,2}, \dots, b_{1,m}$$
  

$$\cdots$$
  

$$s_n = b_{n,1}b_{n,2}, \dots, b_{n,m}$$

*Step 2*: progress rules in each of the region 1 to *n* are implemented. The particle swarm optimization (PSO) based on Gaussian distribution will be carry out in every elementary membrane concurrently.

Step 3: Implement the send-out communication rules, the strings are sent to skin membrane from each elementary membrane.

Step 4: To improve the disadvantage of the premature convergence problem, the local and global neighbourhood searches are implemented in the skin membrane to improve the ability of exploration and exploitation. The equations of local neighbourhood search are defined as follows

$$LX_i = r_1 \cdot X_i + r_2 \cdot pbest_i + r_3(X_c - X_d) \quad (29)$$

$$LV_i = V_i \tag{30}$$

where  $X_i$  is the position vector of the *i*-th particle, *pbest<sub>i</sub>* is the previous best particle of  $P_i$ ;  $X_c$  and  $X_d$  are the position vectors of two random particles.  $c, d \in$ [i+k,i-k].

The equations of global search are shown as follows

$$GX_i = r_4 \cdot X_i + r_5 \cdot pbest_i + r_6 (X_e - X_f) \quad (31)$$

$$GV_i = V_i \tag{32}$$

where *gbest* is the global best particle,  $X_e$  and  $X_f$  are the position vectors of two random particles chosen from the entire swarm,  $e, f \in [1, N]$ .  $r_4$ ,  $r_5$  and  $r_6$  are three uniform random numbers in [0, 1],

Step 5: Determine the fitness of each string object by fitness function, and save the existing best strings;

Step 6: Execute the send-in communication rules between the skin membrane and each elementary membrane concurrently. The detail explanation is as follows.

(i) First, the best strings and m -1 strings with the worst fitness are sent to the elementary membrane 1;

(ii) Subsequently, in the remaining strings, the current best strings and *m*-1 strings with the worst fitness are sent to the elementary membrane 2;

(iii) The above process is executed constantly until the strings from the skin membrane back to each region;

Step 7: If the stopping condition is met, then output the results; otherwise, return to step 2.

# V. SIMULATION RESULTS

The accuracy of the proposed PSOMC Algorithm method is demonstrated by testing it on standard IEEE-30 bus system. The IEEE-30 bus system has 6 generator buses, 24 load buses and 41 transmission lines of which four branches are (6-9), (6-10), (4-12) and (28-27) - are with the tap setting transformers. The lower voltage magnitude limits at all buses are 0.95 p.u. and the upper limits are 1.1 for all the PV buses and 1.05 p.u. for all the PO buses and the reference bus. The simulation results have been presented in Table I, Table II, Table III and Table IV. Table V shows the proposed algorithm powerfully reduces the real power losses when compared to other given algorithms. The optimal values of the control variables along with the minimum loss obtained are given in Table I. Corresponding to this control variable setting, it was found that there are no limit violations in any of the state variables.

Control variables Variable setting V1 1.041 V2 1.042 V5 1.041 V8 1.030 V11 1.001 V13 1.043 T11 1.02 T12 1.01 T15 1.0T36 1.0 Oc10 2 3 Qc12 3 Oc15 0 Oc17 2 Oc20 Qc23 3 Qc24 4 2 Oc29 Real power loss 4.3519 SVSM 0.2492

TABLE I. RESULTS OF PSOMC - ORPD OPTIMAL CONTROL

VARIABLES

ORPD together with voltage stability constraint problem was handled in this case as a multi-objective optimization problem where both power loss and maximum voltage stability margin of the system were optimized simultaneously. Table II indicates the optimal values of these control variables. Also it is found that there are no limit violations of the state variables. It indicates the voltage stability index has increased from 0.2492 to 0.2502, an advance in the system voltage stability. The Eigen values equivalents to the four critical contingencies are given in Table III. From this result, it is observed that the Eigen value has been improved considerably for all contingencies in the second case.

TABLE II. RESULTS OF PSOMC -VOLTAGE STABILITY CONTROL REACTIVE POWER DISPATCH OPTIMAL CONTROL VARIABLES

Control Variables	Variable Setting	
V1	1.043	
V2	1.044	
V5	1.042	
V8	1.031	
V11	1.005	
V13	1.035	
T11	0.090	
T12	0.090	
T15	0.090	
T36	0.090	
Qc10	4	
Qc12	4	
Qc15	3	
Qc17	4	
Qc20	0	
Qc23	3	
Qc24	3	
Qc29	4	
Real power loss	4.9980	
<b>ŠVSM</b>	0.2502	

TABLE III. VOLTAGE STABILITY UNDER CONTINGENCY STATE

Sl.No	Contigency	ORPD	VSCRPD
		Setting	Setting
1	28-27	0.1410	0.1425
2	4-12	0.1658	0.1665
3	1-3	0.1774	0.1783
4	2-4	0.2032	0.2045

State	limits		ORPD	VSCRPD
variables	Lower	upper	OKI D	VSCRID
Q1	-20	152	1.3422	-1.3269
Q2	-20	61	8.9900	9.8232
Q5	-15	49.92	25.920	26.001
Q8	-10	63.52	38.8200	40.802
Q11	-15	42	2.9300	5.002
Q13	-15	48	8.1025	6.033
V3	0.95	1.05	1.0372	1.0392
V4	0.95	1.05	1.0307	1.0328
V6	0.95	1.05	1.0282	1.0298
V7	0.95	1.05	1.0101	1.0152
V9	0.95	1.05	1.0462	1.0412
V10	0.95	1.05	1.0482	1.0498
V12	0.95	1.05	1.0400	1.0466
V14	0.95	1.05	1.0474	1.0443
V15	0.95	1.05	1.0457	1.0413
V16	0.95	1.05	1.0426	1.0405
V17	0.95	1.05	1.0382	1.0396
V18	0.95	1.05	1.0392	1.0400
V19	0.95	1.05	1.0381	1.0394
V20	0.95	1.05	1.0112	1.0194
V21	0.95	1.05	1.0435	1.0243
V22	0.95	1.05	1.0448	1.0396
V23	0.95	1.05	1.0472	1.0372
V24	0.95	1.05	1.0484	1.0372
V25	0.95	1.05	1.0142	1.0192
V26	0.95	1.05	1.0494	1.0422
V27	0.95	1.05	1.0472	1.0452
V28	0.95	1.05	1.0243	1.0283
V29	0.95	1.05	1.0439	1.0419
V30	0.95	1.05	1 0418	1 0397

TABLE IV. LIMIT VIOLATION CHECKING OF STATE VARIABLES

TABLE V. COMPARISON OF REAL POWER LOSS

Method	Minimum loss	
Evolutionary	5.0159	
programming[20]		
Genetic algorithm[21]	4.665	
Real coded GA with Lindex as	4.568	
SVSM[22]		
Real coded genetic		
algorithm[23]	4.5015	
Proposed PSOMC method	4.3519	

### VI. CONCLUSION

In this PSOMC algorithm is used to solve optimal reactive power dispatch problem by including various generator constraints. The planned method formulate reactive power dispatch problem as a mixed integer non-linear optimization problem .The performance of the designed algorithm has been established well through its voltage stability evaluation by modal analysis and is effectual at various instants following system contingencies. The efficiency of the proposed method has been demonstrated on IEEE 30-bus system. Simulation results shows that Real power loss has been considerably reduced and voltage profile index within the particular limits.

#### REFERENCES

[1] O. Alsac and B. Scott, "Optimal load flow with steady state security," *IEEE Transaction*, pp. 745-751, 1973.

- [2] K. Y. Lee, Y. M. Paru, and J. L. Oritz, "A united approach to optimal real and reactive power dispatch," *IEEE Transactions on Power Apparatus and Systems*, vol. 104, pp. 1147-1153, 1985
- [3] A. Monticelli, M. V. F. Pereira, and S. Granville, "Security constrained optimal power flow with post contingency corrective rescheduling," *IEEE Transactions on Power Systems: PWRS-2*, no. 1, pp. 175-182,1987.
- [4] N. Deeb and S. M. Shahidehpur, "Linear reactive power optimization in a large power network using the decomposition approach," *IEEE Transactions on Power System*, vol. 5, no. 2, pp. 428-435, 1990
- [5] E. Hobson, "Network consrained reactive power control using linear programming," *IEEE Transactions on Power Systems*, vol. 99, no. 4, pp. 868-877, 1980.
- [6] K. Y. Lee, Y. M. Park, and J. L. Oritz, "Fuel-cost minimisation for both real and reactive power dispatches," *Generation, Transmission and Distribution, IEE Proceedings C*, vol. 131, no. 3, pp. 85-93, 2008.
- [7] M. K. Mangoli and K. Y. Lee, "Optimal real and reactive power control using linear programming," *Electr. Power Syst. Res*, vol. 26, pp. 1-10, 1993.
- [8] S. R. Paranjothi and K. Anburaja, "Optimal power flow using refined genetic algorithm," *Electr. Power Compon. Syst*, vol. 30, pp. 1055-1063, 2002.
- [9] D. Devaraj and B. Yeganarayana, "Genetic algorithm based optimal power flow for security enhancement," *IEE proc-Generation.Transmission and Distribution*, vol. 152, no. 6 pp. 899-905, November 2005.
- [10] C. A. Canizares, A. C. Z. De Souza, and V. H. Quintana, "Comparison of performance indices for detection of proximity to voltage collapse," *IEEE Transactions on Power Systems*, vol. 11. no. 3, pp. 1441-1450, Aug 1996.
- [11] L. L. Lai and J. T. Ma, "Application of evolutionary programming to reactive power planning approach," *IEEE Trans Power Syst.*, vol. 12, no. 1, pp. 198–206, Feb. 1997.
- [12] B. Zhao, C. X. Guo, and Y. J. Cao, "A multiagent based particle swarm optimization approach for reactive power dispatch," *IEEE Trans. Power Syst.*, vol. 20, no. 2, pp. 1070–1078, May 2005.
- [13] C. H. Liang, C. Y. Chung, K. P. Wong, and X. Z. Duan, "Parallel optimal reactive power flow based on cooperative co-evolutionary differential evolution and power system decomposition," *IEEE Trans. Power Syst.*, vol. 22, no. 1, pp. 249–257, Feb. 2007.
- [14] M. Varadarajan and K. S. Swarup, "Differential evolution approach for optimal reactive power dispatch," *Appl. Soft Comput.*, vol. 8, no. 4, pp. 1549–1561, 2008.
- [15] K. Mahadevan and P. S. Kannan, "Comprehensive learning particle swarm optimization for reactive power dispatch," *Appl. Softw. Comput.*, vol. 10, no. 2, pp. 641–652, 2010.
- [16] P. Subbaraj and P. N. Rajnarayanan, "Optimal reactive power dispatch using self-adaptive real coded genetic algorithm," *Electric. Power Syst. Res.*, vol. 79, no. 2, pp. 374–381, 2009.
- [17] G. H. Paun. "Computing with membranes," Technical Report, Finland: Turku Center for Computer Science, 1998.
- [18] J. H. Xiao, X. Y. Zhang, and J. Xu, "A membrane evolutionary algorithm for DNA sequence design in DNA computing," *Chinese Science Bulletin*, vol. 57, no. 6, pp. 698-706, 2012.
- [19] G. Paun, "Tracing some open problems in membrane computing," *Romanian Journal of Information Science and Technology*, vol. 10, pp. 303-314, 2007.
- [20] Q. H. Wu and J. T. Ma, "Power system optimal reactive power dispatch using evolutionary programming," *IEEE Transactions on Power Systems*, vol. 10, no. 3, pp. 1243-1248, 1995.
- [21] S. Durairaj, D. Devaraj, and P. S. Kannan, "Genetic algorithm applications to optimal reactive power dispatch with voltage stability enhancement," *Journal-Institution of Engineers India Part El Electrical Engineering Division*, vol. 87, pp. 42, September 2006.
- [22] D. Devaraj, "Improved genetic algorithm for multi-objective reactive power dispatch problem," *European Transactions on Electrical Power*, vol. 17, pp. 569-581, 2007.
- [23] P. A. Jeyanthy and D. Devaraj "Optimal reactive power dispatch for voltage stability enhancement using real coded genetic algorithm" *International Journal of Computer and Electrical Engineering*, vol. 2, no. 4, pp. 1793-8163, August 2010.



K. Lenin has received his B.E., Degree, electrical and electronics engineering in 1999 from university of madras, Chennai, India and M.E., Degree in power systems in 2000 from Annamalai University, TamilNadu, India. Presently pursuing Ph.D., degree at JNTU, Hyderabad,India.



Bhumanapally. RavindhranathReddy, Born on 3rd September,1969. Got his B.Tech in Electrical & Electronics Engineering from the J.N.T.U. College of Engg., Anantapur in the year 1991. Completed his M.Tech in Energy Systems in IPGSR of J.N.T.University Hyderabad in the year 1997. Obtained his doctoral degree from JNTUA,Anantapur University in the field of Electrical Power Systems. Published 12 Research Papers and presently guiding 6

Ph.D. Scholars. He was specialized in Power Systems, High Voltage Engineering and Control Systems. His research interests include Simulation studies on Transients of different power system equipment.